


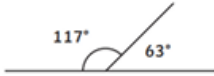
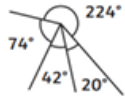
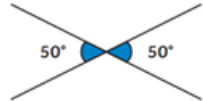
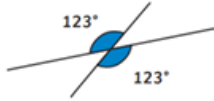
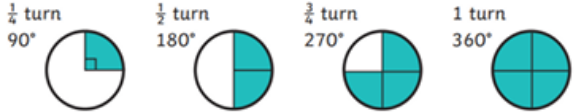
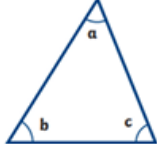
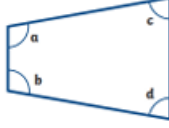




## Year 6 Properties of Shape

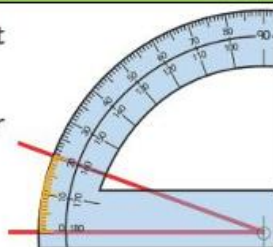
Key Vocabulary	Angle Types	
angle	<div style="display: flex; justify-content: space-around; align-items: flex-start;"> <div style="text-align: center;">  <p><b>Acute Angles</b> Any angle that measures less than 90° is called an <b>acute</b> angle.</p> </div> <div style="text-align: center;">  <p><b>Obtuse Angles</b> Any angle that measures greater than 90° and less than 180° is called an <b>obtuse</b> angle.</p> </div> <div style="text-align: center;">  <p><b>Reflex Angles</b> Any angle that measures greater than 180° is called a <b>reflex</b> angle.</p> </div> </div>	
right angle		
acute		
obtuse		
reflex		
protractor		
horizontal		
vertical		
parallel		
perpendicular		
polygon		
regular		
irregular		
two-dimensional		Calculating Angles
three-dimensional	 <p>Angles on a straight line always total 180°.</p>	 <p>Angles around a point always total 360°.</p>
flat face	 <p>Opposite angles that share a vertex are equal.</p>	
curved surface	 <p>Multiples of 90° can be used as descriptions of a turn.</p>	 <p><math>a + b + c = 180^\circ</math></p>
edge	Angles in a Quadrilateral	
curved edge	 <p><math>a + b + c + d = 360^\circ</math></p>	
vertex		
vertices		
apex		
radius		
diameter		
circumference		

### Using a Protractor

Place the cross or circle at the point of the angle you are measuring.

Read from the zero on the outer scale of your protractor.

Count the degree lines carefully.



### Angles in Regular Polygons

As the number of sides of a polygon increases by one, the total of the interior angles increases by  $180^\circ$ . When  $n$  = number of sides, this formula can be used to find the size of each angle in a **regular polygon**:

$$\text{Sum of Interior Angles} = (n - 2) \times 180^\circ$$

$$\text{Each Angle} = \frac{(n - 2) \times 180^\circ}{n}$$



**Pentagon**

$$n = 5$$

$$(5 - 2) \times 180^\circ = 540^\circ$$

$$540^\circ \div 5 = 108^\circ$$



**Hexagon**

$$n = 6$$

$$(6 - 2) \times 180^\circ = 720^\circ$$

$$720^\circ \div 6 = 120^\circ$$

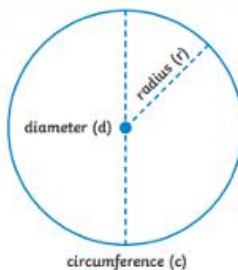
### Parts of a Circle

A circle is a 2D shape. The perimeter of a circle is called the **circumference** ( $c$ ). The distance across the circle, passing through the centre, is called the **diameter** ( $d$ ).

The distance from the centre of the circle to the circumference is called the **radius** ( $r$ ).

$$r \times 2 = d$$

$$\frac{d}{2} = r$$

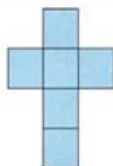
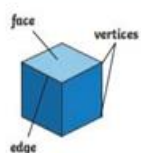


### Properties of 3D Shapes










3D shapes have three dimensions – **length**, **width** and **depth**.

A **polyhedron** is a 3D shape with flat faces. Spheres, cylinders and cones are not polyhedrons as they have curved surfaces.

### Nets of 3D Shapes



A shape net shows which 2D shapes can be folded and joined to make a 3D shape. When you are drawing a net, or solving a problem involving a shape net, think carefully about where the edges of the faces meet.

<b>Cube</b>  6 square faces 12 edges 8 vertices	<b>Tetrahedron</b>  4 triangular faces 6 edges 4 vertices	<b>Sphere</b>  1 curved surface 0 edges 0 vertices
<b>Cuboid</b>  6 faces 12 edges 8 vertices	<b>Octahedron</b>  8 faces 12 edges 6 vertices	<b>Triangular prism</b>  5 faces 9 edges 6 vertices
<b>Square-based pyramid</b>  5 faces 8 edges 5 vertices	<b>Cone</b>  1 circular face 1 curved surface 1 curved edge 1 apex	<b>Cylinder</b>  2 circular faces 1 curved surface 2 curved edges 0 vertices